



SUNY Korea CSE549

Spring 2017

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# Biological Networks

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Ref: M. Zitnik and J. Leskovec's CS2224W slides on bio-network.

# Types of Biological Networks

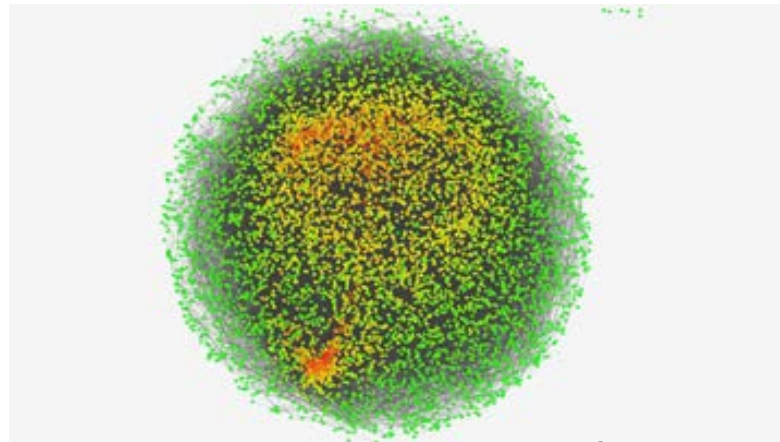
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- ❑ There are several types of bio-networks.
- ❑ Classification:
  - ❑ Gene co-expression networks
  - ❑ Protein-protein interaction networks
  - ❑ Signal transduction and gene regulatory networks (pathways)
  - ❑ Metabolic networks (pathways)
  - ❑ Other types of networks
    - ❑ Phylogenetic trees
    - ❑ Mixture of networks

# Gene Co-expression Network

## □ Description:

- **Gene co-expression** is process where set of genes are expressed in coordination to produce proteins.
- **Gene co-expression networks** contains information on the **correlation of the gene expression** in different biological or environmental conditions.



“A gene co-expression network constructed from a microarray dataset containing gene expression profiles of 7221 genes for 18 gastric cancer patients - S. Mohammad H. Oloomi ”

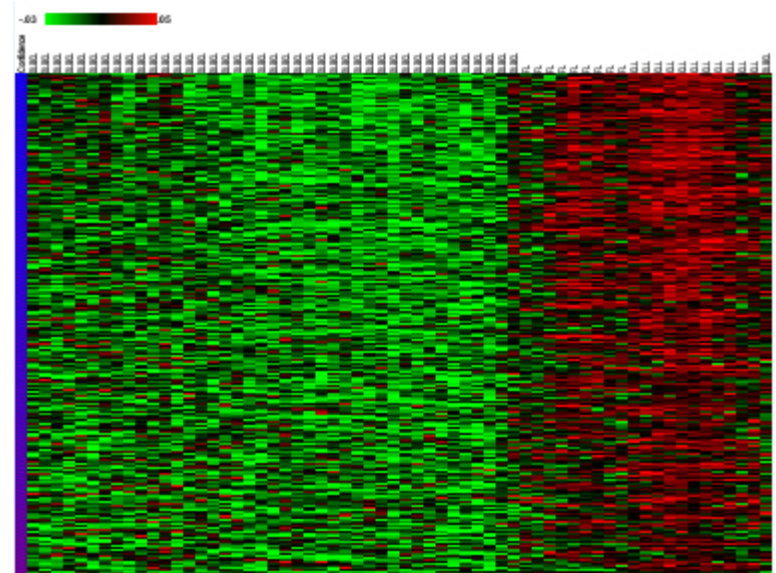
# Gene Co-expression Network cont.

## ❑ Construction:

- ❑ form edges between pairs of genes that show similar expression patterns across biological conditions,
- ❑ where the activation levels of two co-expressed genes rise and fall together across conditions.

## ❑ Major DBs:

- ❑ The Cancer Genome Atlas
- ❑ NCBI Gene Expression Omnibus
- ❑ GeneMANIA
- ❑ EBI Array Express
- ❑ GTEx Data Portal
- ❑ MGI-Mouse Gene
- ❑ Expression Database
- ❑ **STRING (PPI)**
- ❑ Bgee.



# Protein-Protein Interaction Networks (PPI)

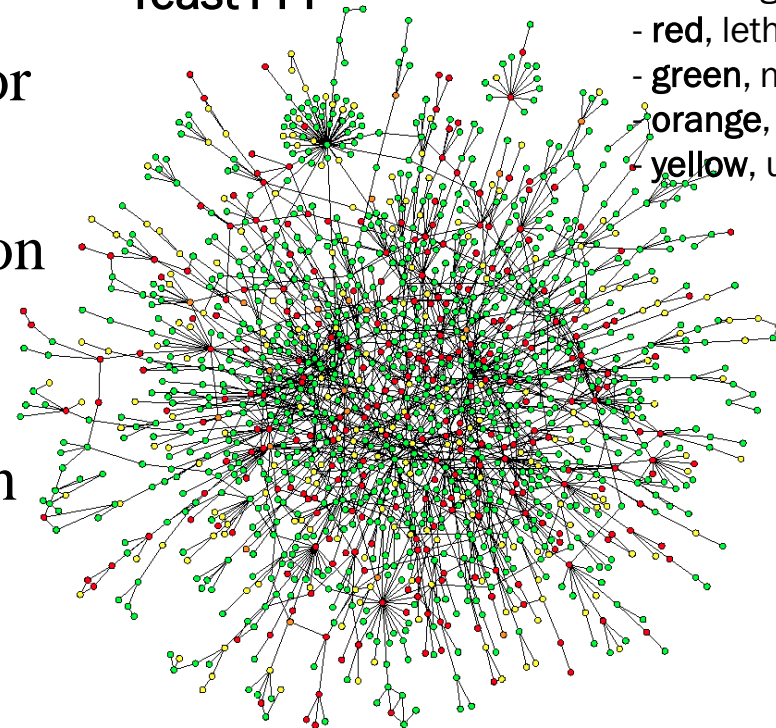
□ Description: Networks where nodes represent proteins and edges represent interactions between the two protein.

□ Types of Interactions:

□ to build a protein complex or to activate/deactivate.

□ However, types of interaction in PPI, i.e. “activation”, “binding to”, or “phosphorylation”, are often unknown

Yeast PPI



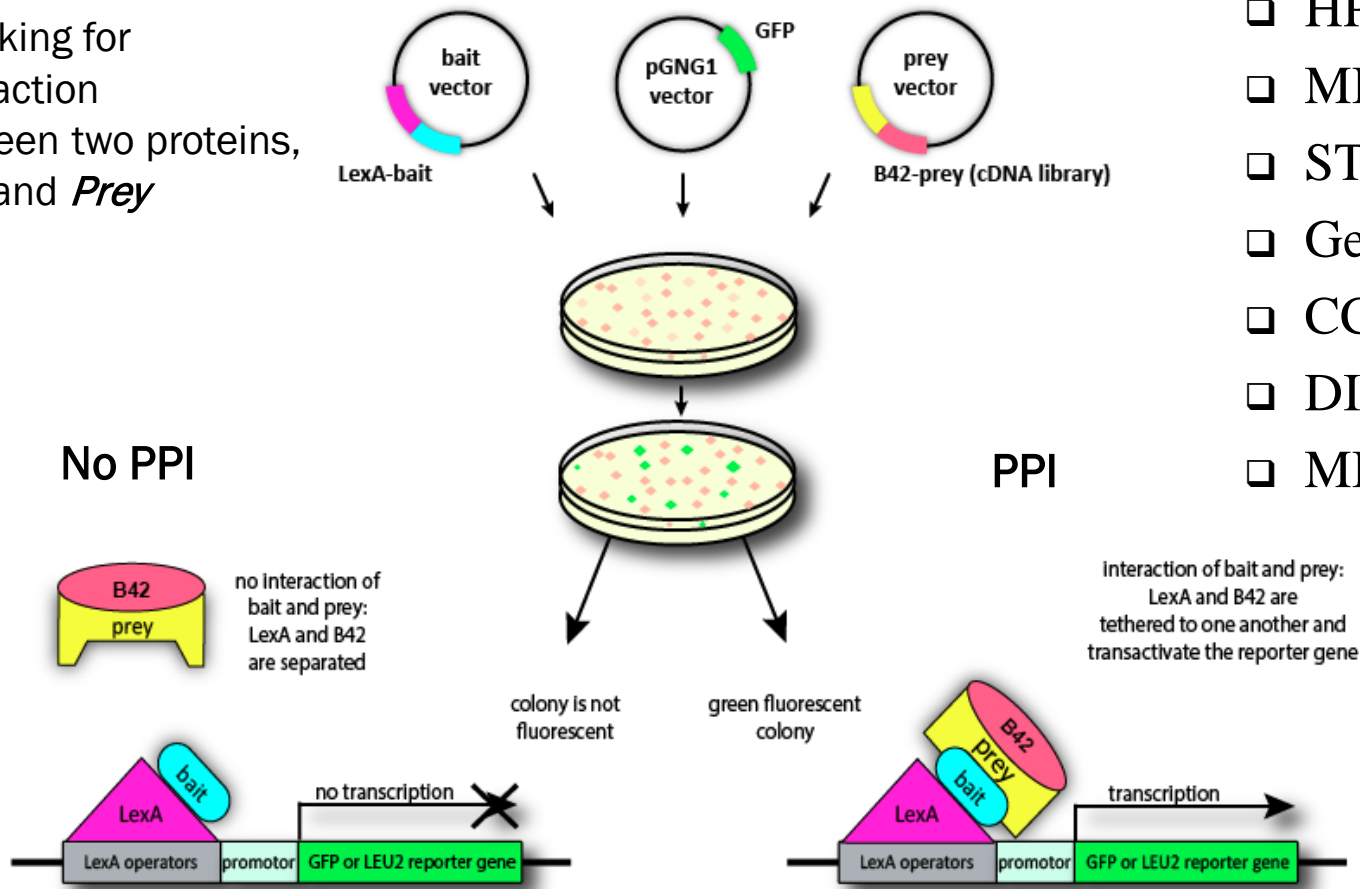
Color signifies the phenotypic effect of removing a protein  
- red, lethal  
- green, non-lethal  
- orange, slow growth  
- yellow, unknown

# Protein-Protein Interaction cont.

## □ Construction

### □ Yeast-two-hybrid screening

Checking for interaction between two proteins, *Bait* and *Prey*



## □ Major DBs:

- BioGRID
- HPRD
- MIntAct
- STRING,
- Gene-MANIA,
- CCSB Interactome,
- DIP,
- MINT.

# Signal Transduction and Regulatory Networks

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## □ **Signal transduction**

- Communication process within a cell to coordinate its responses to an environmental change.
- Response is a reaction of the cell, e.g., the activation of a gene or the production of energy.

## □ **Signal transduction network** of a cell

- Complete network of all signal transduction pathways.
- Signal transduction pathways: directed network of chemical reactions in a cell from a stimulus to the response

# Signal Transduction and Regulatory Networks cont.

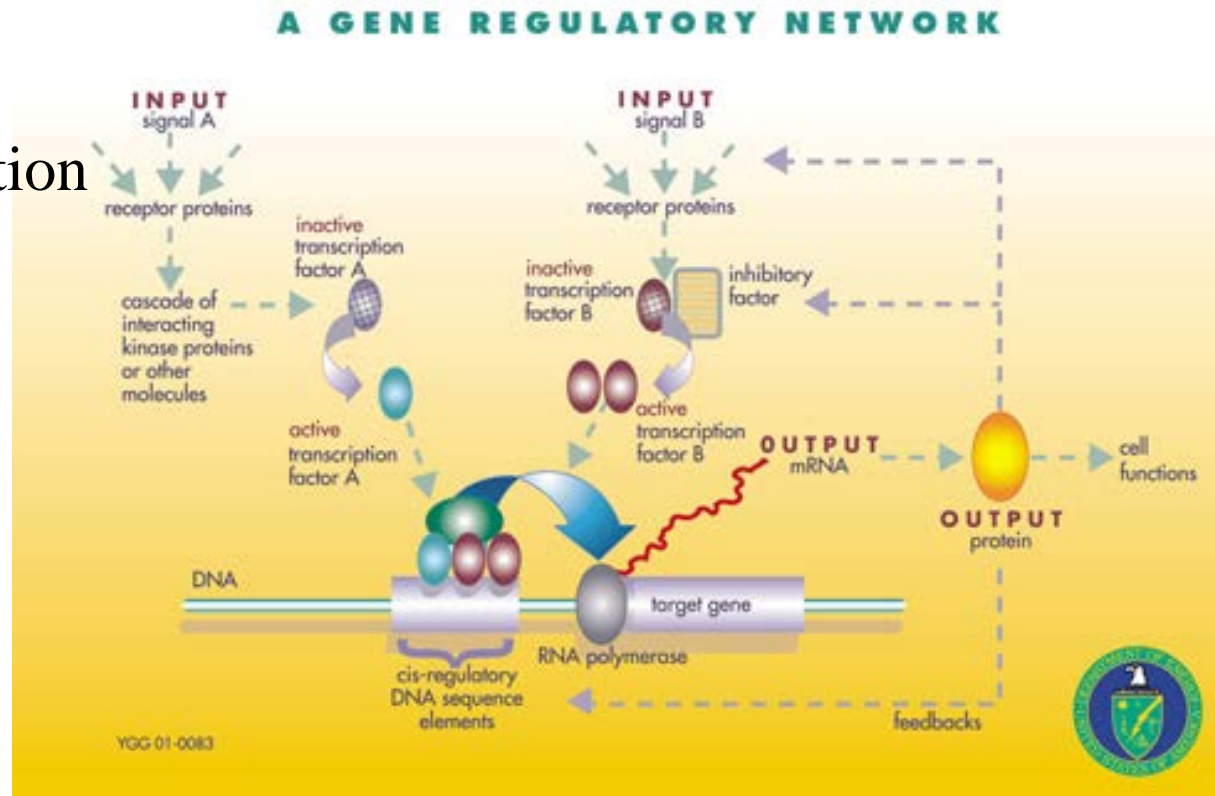
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- ❑ **Gene regulation** is a type of response of a cell to an internal stimulus where expression of a gene is regulated by protein called a transcription factor.
- ❑ **Gene regulatory network** is a directed network where nodes represent genes and directed edges represent regulatory interactions
  - ❑ Ex> binding of a transcription factor (i.e., source of an edge) to a gene (i.e., target of an edge).
  - ❑ Compared to a gene co-expression network, a gene regulatory network attempts to represent the causal (directed) relationships between genes.



# Signal Transduction and Regulatory Networks cont.

- ❑ Major DB:
  - ❑ Netpath,
  - ❑ Pathway Commons,
  - ❑ WikiPathways,
  - ❑ NCINature
  - ❑ Pathway Interaction Database,
  - ❑ RegulonDB,
  - ❑ TRANSFAC.

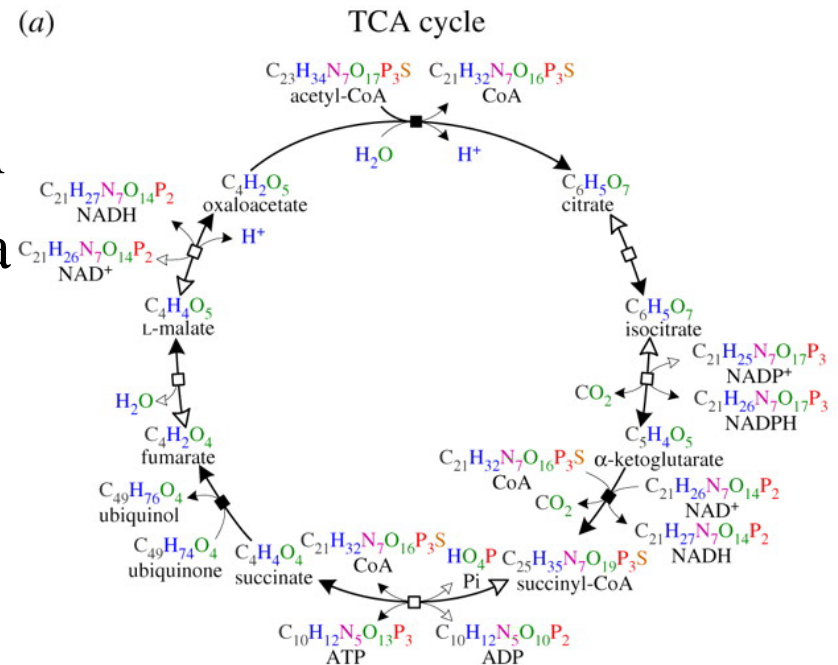


# Metabolic Networks

□ **Metabolic reaction** is a chemical process that transforms chemical substances or metabolites (i.e., reactants) into other substances (i.e., products) usually catalyzed by enzymes.

□ **Metabolic networks** are directed networks where each

- Node represents a metabolite (a molecule) and
- Edge represents a metabolic reaction.



# Metabolic Networks cont

- **Metabolic pathway** is a connected sub-network of the metabolic network either representing specific processes or defined by functional boundaries.
  - Ex> network between an initial and a final chemical substance.
  - **Hyper-graph**: The nodes represent the substances and the directed hyper-edges represent the reactions from reactants to products and is labeled with the enzymes that catalyze the reaction.
  - **Directed bipartite graph**:  $G = (V_s; V_r; E)$  with  $V_s$  representing substances, nodes  $V_r$  representing metabolic reactions and directed edges  $E$  representing the transformation of substance.

# Metabolic Networks cont.

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- ❑ Major DBs
  - ❑ BRENDA
  - ❑ KEGG PATHWAY Database
  - ❑ MANET
  - ❑ Reactome
  - ❑ Small Molecule Pathway Database
  - ❑ MetaNetX.

# Other types of networks

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- ❑ Gene-phenotype network
  - ❑ Phenotypes: diseases
- ❑ Phylogenetic trees
- ❑ Gene Ontology

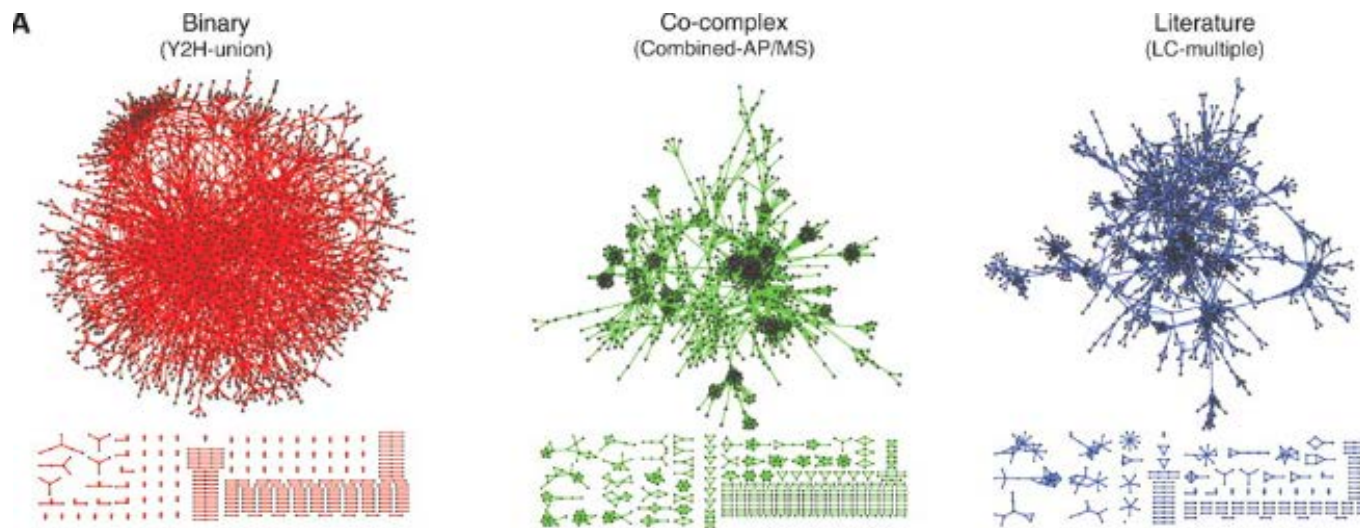
# Applications of PPI

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- ❑ Finding disease modules in networks
  - ❑ Method 1: Community detection
- ❑ Predicting biological attributes, such as protein functions
  - ❑ Method 2: Guilt-by-association principle
  - ❑ Method 3: Gene recommender systems

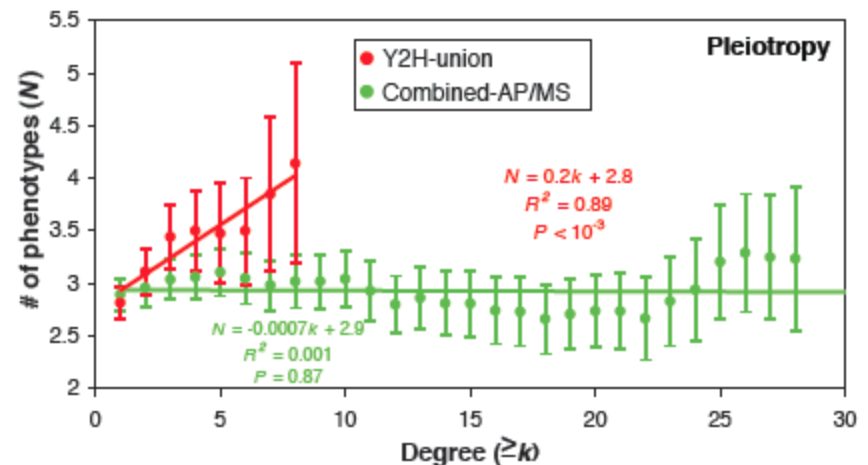
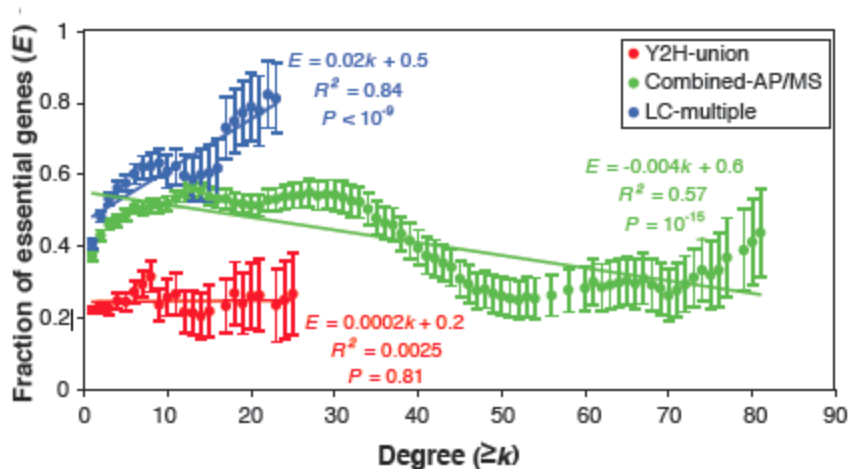
# PPI Analysis

- Yeast Interactome Network (PPI) Data:
  - Three yeast protein-protein interaction (PPI) networks
  - List of **essential** yeast proteins, these proteins form a minimal protein set required for a living cell
  - Mapping of proteins to **phenotypes** associated with **deletion of each protein**



# Hub Proteins

- **Hub proteins:** 20% nodes in the network with the highest degree
- Observations:
  - **Hub proteins** associate with **essential proteins**, confirmed in many but not all networks
  - **Hub proteins** associate with **larger numbers of phenotypes** than non-hub proteins



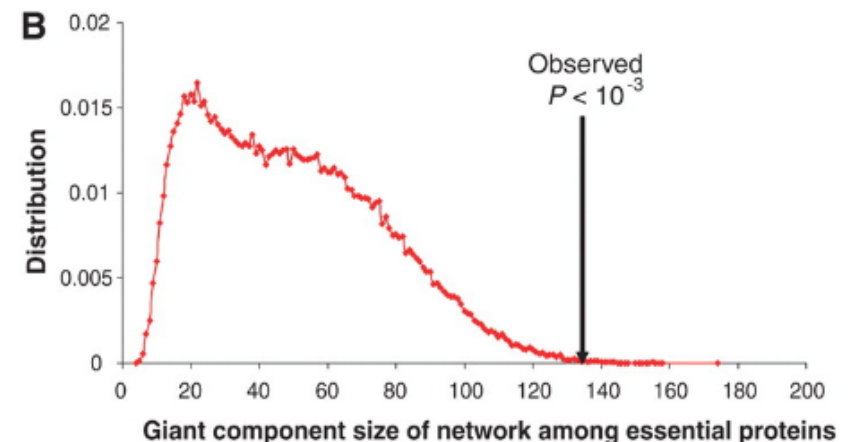
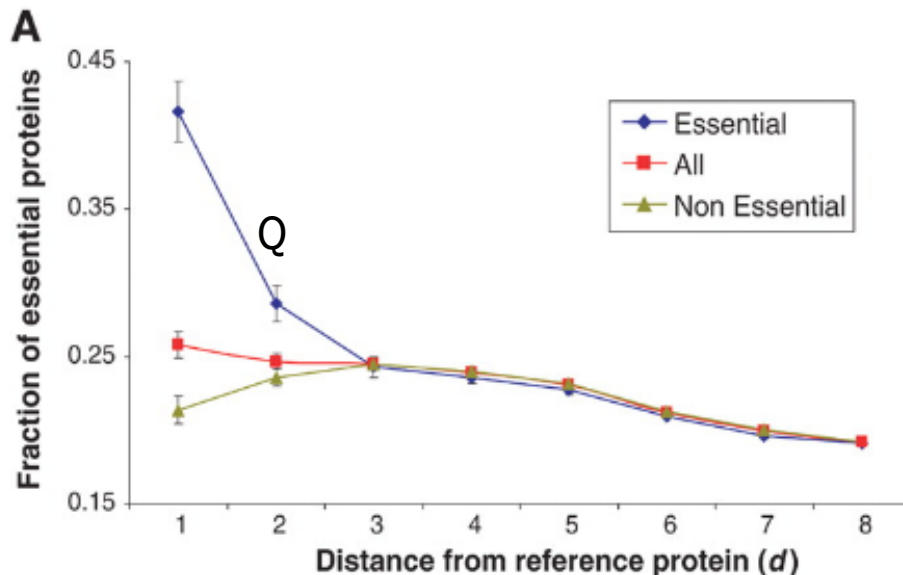


# Essential Proteins in PPI

- For a protein  $p_1$ , take the **fraction of essential proteins** among all proteins whose distance to protein  $p_1$  is equal to  $d$ :

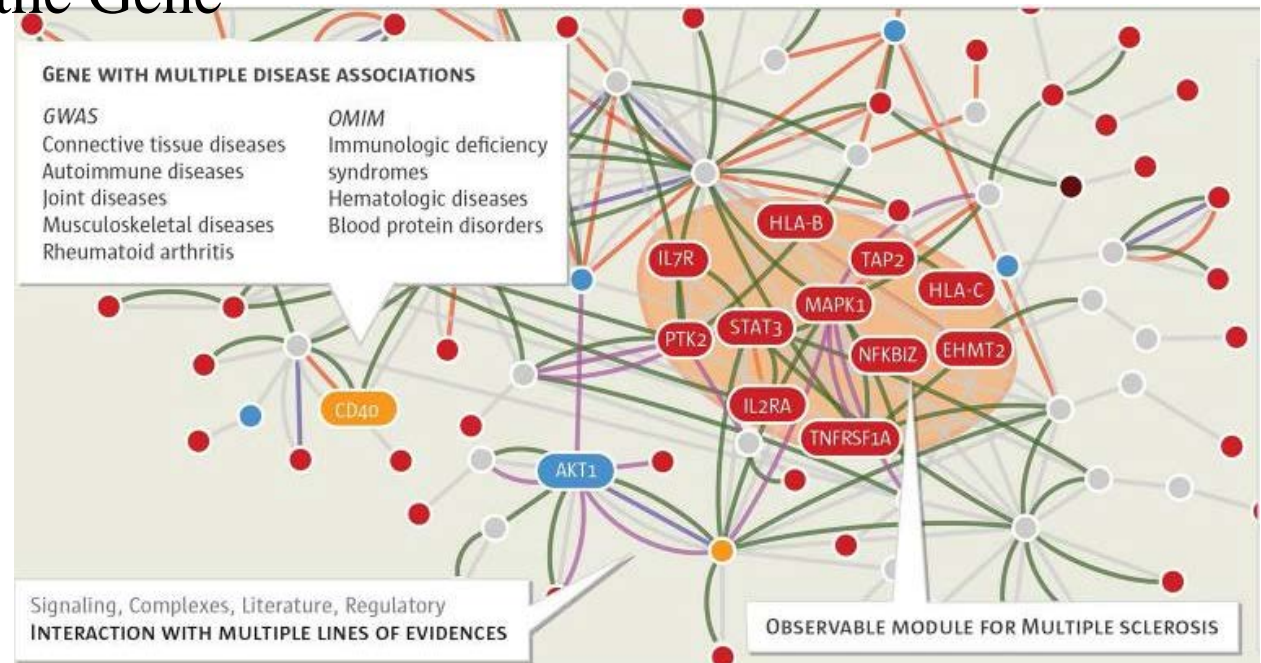
$$Q(p_1, d) = \sum_{p \in S_d(p_1)} \frac{I(p \text{ is essential})}{|S_d(p_1)|}$$

$I(x) = 1$  if  $x$  true  
 $I(x) = 0$  otherwise



# Disease Protein/Gene

- Given **disease proteins**, compute **shortest path distance**  $d_s$  of each disease protein to the closest disease protein  $P$  ( $d_s$ ) is **shifted towards smaller  $d_s$**  compared to the random expectation  $P^{\text{rand}}(d_s)$ 
  - $\Rightarrow$  Disease proteins **agglomerate** in one network neighborhood of increasing the Gene



# Disease Protein/Gene

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- ❑ **Disease module** assumption: Disease proteins **tend to cluster** in one network neighborhood
- ❑ **Local interaction** assumption: Disease proteins **tend to interact** with each other
- ❑ Mutations in interacting proteins tend to lead to diseases with **similar phenotypes** (i.e., symptoms)
- ❑ Disease Module finding/prediction is important!

# Functional Interaction Networks

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- PPI or co-expression network
  
- Types of protein/gene function prediction
  - **“What does my gene do?”**
    - **Goal:** Determine a gene’s function based on who it interacts with – **“guilt-by-association”**
  - **“Give me more genes that function like these”**
    - E.g., Find more multiple sclerosis genes, find new ciliary genes, find more members of a protein complex
  - **“Should there be a connection between A & B”**
    - Drug protein interaction prediction

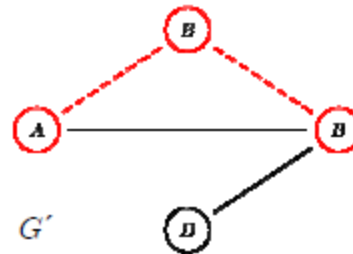
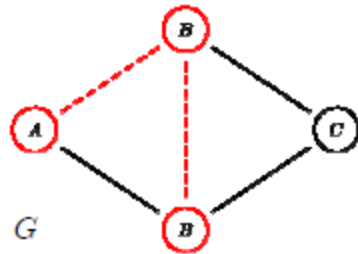
# Graph Comparison

## Definition 1 (Graph Comparison Problem)

Given two graphs  $G$  and  $G'$  from the space of graphs  $\mathcal{G}$ . The problem of graph comparison is to find a mapping

$$s : \mathcal{G} \times \mathcal{G} \rightarrow \mathbb{R}$$

such that  $s(G, G')$  quantifies the similarity (or dissimilarity) of  $G$  and  $G'$ .



# Isomorphism

## Graph isomorphism

Find a mapping  $f$  of the vertices of  $G_1$  to the vertices of  $G_2$  such that  $G_1$  and  $G_2$  are identical; i.e.  $(x,y)$  is an edge of  $G_1$  iff  $(f(x),f(y))$  is an edge of  $G_2$ . Then  $f$  is an **isomorphism**, and  $G_1$  and  $G_2$  are called **isomorphic**

- No polynomial-time algorithm is known for graph isomorphism
- Neither is it known to be NP-complete

# Isomorphism

## Subgraph isomorphism

$G_1$  and  $G_2$  are **isomorphic** if there exists a subgraph isomorphism from  $G_1$  to  $G_2$  and from  $G_2$  to  $G_1$

- Subgraph isomorphism is NP-complete

We want polynomial-time similarity measure for graphs

# Measuring graph Similarity 1: Edit Distances

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## □ Principle

- Count operations that are necessary to transform  $G_1$  into  $G_2$
- Assign costs to different types of operations (edge/node insertion/deletion, modification of labels)

## □ Advantages

- Captures partial similarities between graphs
- Allows for noise in the nodes, edges and their labels
- Flexible way of assigning costs to different operations

## □ Disadvantages

- Contains subgraph isomorphism check (NP-complete) as one intermediate step
- Choosing cost function for different operations is difficult



# Measuring graph Similarity 2:

## Topological Descriptors

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### ❑ Principle

- ❑ Map each graph to a feature vector (ex> finger printing methods)
- ❑ Use distances and metrics on vectors for learning on graphs

### ❑ Advantages

- ❑ Reuses known and efficient tools for feature vectors

### ❑ Disadvantages

- ❑ Most feature vector transformation leads to loss of topological information
- ❑ Or includes subgraph isomorphism as one step

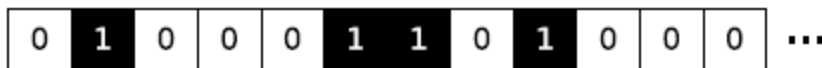
# Topological Descriptors cont.

feature vectors (chemical fingerprints)

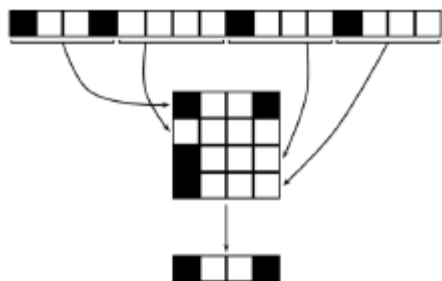
$$\phi(A) = (\phi_s(A))_s \text{ substructure}$$

where

$$\phi_s(A) = \begin{cases} 1 & \text{if } s \text{ occurs in } A \\ 0 & \text{otherwise} \end{cases}$$



Modulo Compression (lossy)



Elias-Gamma Monotone Encoding (lossless)

[Baldi et al., 2007]

- index  $j \rightarrow \lfloor \log(j) \rfloor$  0 bits + binary encoding of  $j$
- $j_i < j_{i+1}$ :  $\lfloor \log(j_{i+1}) \rfloor \rightarrow \lfloor \log(j_i) - \log(j_{i+1}) \rfloor$
- average compressed size = 1,800 bits

# Measuring graph Similarity 3: Graph Kernels

- Kernels on pairs of graphs

- **Principle**

- Let  $\phi(x)$  be a vector representation of the graph  $x$

- The kernel between two graphs is defined by:

$$K(x, x') = \phi(x)^T \phi(x')$$

- To solve convex optimization with kernels, kernels needs to be

- Symmetric, that is,  $k(x, x') = k(x', x)$ , and

- Positive semi-definite (p.s.d.)

- Comparing nodes in a graph involves constructing a kernel between nodes

- Comparing graphs involves constructing a kernel between graphs.

# Graph Kernels cont.

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## ❑ Advantages

- ❑ Similarity of two graphs are inferred through kernel function

## ❑ Disadvantages

- ❑ Defining a kernel that captures the semantics inherent in the graph structure and is reasonably efficient to evaluate is the key challenge.

# Brief history of graph kernels

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- The idea of **constructing kernels *on* graphs** (i.e., between the nodes of a single graph) was first proposed by Kondor and Lafferty (2002), and extended by Smola and Kondor (2003).
- Idea of **kernels *between* graphs** were proposed by Gartner et al. (2003) and later extended by Borgwardt et al. (2005).
- Idea of **marginalized kernels** (Tsuda et al., 2002) was extended to graphs by Kashima et al. (2003, 2004), then further refined by Mah'e et al. (2004).